# **Anonymous Model Pruning for Compressing Deep Neural Networks**

Lechun Zhang<sup>1,2</sup>, Guangyao Chen<sup>2</sup>, Yemin Shi<sup>2</sup>, Quan Zhang<sup>2</sup>, Mingkui Tan<sup>4</sup>,Yaowei Wang<sup>2,3</sup>, Yonghong Tian<sup>2,3</sup>,Tiejun Huang<sup>2,3</sup> <sup>1</sup>School of ECE, Peking University Shenzhen Graduate School, Shenzhen, P.R. China <sup>2</sup>Peking University, Institute of Digital Media, Beijing 100871, China <sup>3</sup>Peng Cheng Laboratory, Shenzhen 518055, China <sup>4</sup>South China University of Technology 518055,China {lechunzhang,gy.chen,shiyemin,zquan,yhtian,tjhuang}@pku.edu.cn, wangyw@pcl.ac.cn,mingkuitan@scut.edu.cn

Abstract-Many deep neural network compression algorithms need to fine-tune on source dataset, which makes them unpractical when the source datasets are unavailable. Although data-free methods can overcome this problem, they often suffer from a huge loss of accuracy. In this paper, we propose a novel approach named Anonymous-Model Pruning (AMP), which seeks to compress the network without the source data and the accuracy can be guaranteed without too much loss. AMP compresses deep neural networks via searching pruning rate automatically and fine-tuning the compressed model under the teacher-student diagram. The key innovations are that the pruning rate is automatically determined, and the finetuning process is under the guidance of uncompressed network instead of labels. Even without the source dataset, compared with existing pruning methods, our proposed method can still achieve comparable accuracy with similar pruning rate. For example, for ResNet50, our AMP method only incur 0.76% loss in top-1 accuracy with 32.72% pruning rate.

*Keywords*-network compression; knowledge distillation; pruning;

### I. INTRODUCTION

The success of Deep neural networks(DNN) mainly results from deeper network design, larger amount of weights and considerable scale of data, which make DNN hard to deploy on resource constrained platforms. Therefore, it is necessary to compress deep neural networks. However, most of the model compression methods try to compress deep neural networks and then retrain the model on original labeled datasets (such as ILSVRC-12 [1]) to regain a considerable accuracy. These kinds of methods may suffer from data dependence and over-fitting. Furthermore, we needn't download the whole dataset for fine-tuning after compression for two reasons: (1) a model cannot enrich its knowledge on the pre-trained datasets, which makes the original dataset redundant and less contributed; (2) pretraining datasets contain a huge number of items, on which fine-tuning is both space consuming and time consuming.

In this paper, we propose an Anonymous Model Pruning and knowledge distillation pipeline to compress and fine-tune convolution neural networks without the original datasets. Firstly, we set an acceptable loss threshold for each layer to prevent error accumulative. Secondly, we use binary search to determine the pruning rate of each layer keeping the loss under threshold. Meanwhile, pruning rate and pruning loss are not linear correlated, and our algorithm can better explore the redundancy of each layer. Experiments on Alexnet [5] and ResNet50 [6] for ImageNet classification demonstrate the effectiveness of our proposed method.

## II. RELATED WORK

**Knowledge Distillation** is first proposed by [7], where knowledge is transferred from high-capacity teacher to a more compact network for efficient deployment. Not only the ground truth component but also the dark knowledge term, containing information on the wrong outputs, have contribution on student network, which has been proved in [4]. This suggests that knowledge distillation, originally introduced to reduce parameters, can be applied to accuracy recovery. A pioneering work extended knowledge distillation to use both the outputs and intermediate representations, which is produced by teacher network, to train the narrower students [8]. In a different approach, the authors trained shallow nets to mimic deep networks with L2 norm of the difference between student's and teacher's logits [9].

**Network Pruning** is widely used in deep neural network compression since [10]. They approved that weight pruning is a valid way to reduce over-fitting and model complexity. Then some researchers pruned the small-weight connections and retrained the network to learn final weights for the remaining connections [11].In order to prevent weights from being wrongly pruned, soft-pruning has been proposed to update the pruned weight and apply pruning algorithm again to the new weights [12], [13]. Recently, filter level pruning has been proposed to compress and accelerate deep neural networks. A new formulation has been proposed for pruning convolution kernels which used Taylor expansion based importance criteria to prune filters [14]. We propose to assign pruning rate automatically by binary search to make network pruning simpler.



Figure 1. An overview of AMP algorithm. The gray parts represent network pruning. I. Use binary search to assign pruning rate for each layer. II. Use knowledge distillation to fine-tune student network. When pruning the *l*-th layer, both  $\ell_F^l$  and  $\ell_G$  will be used to guide backporpagation.

#### **III. NOTATION AND PRELIMINARIES**

Given a deep model Net\_T, which is pre-trained on labeled dataset  $D_S$ , we hope to obtain a compressed model Net\_S. We denote the parameters of each layer as a 4-D weight tensor and the feature maps of each layer as a 3-D tensor. Let  $T^{(l)} \in \mathbb{R}^{N_l \times C_l \times h_l \times z_l}$  and  $S^{(l)} \in \mathbb{R}^{N_l \times C_l \times h_l \times z_l}$  be the *l*-th layer weight tensor of the teacher and student models with kernel size  $h_l \times z_l$ , where  $N_l$  and  $C_l$  denote the number of output and input channels. We denote  $||\mathbf{v}||^2$  as the *L*-2 norm of vector  $\mathbf{v}$  and  $S_Q^{(l)}$  be the *i*-th channel of  $S^{(l)}$ . The output of the *l*-th layer is denoted by  $S_Q^{(l)} \in \mathbb{R}^{N_l \times h_o \times z_o}$ , where  $h_o$  and  $z_o$  is the height and width of the feature maps. For the teacher network Net\_T, the output of the *l*-th layer, denoted by  $T_Q^{(l)}_{j,\ldots}$ , can be defined in a similar way.

### IV. ANONYMOUS MODEL PRUNING

## A. Overview of Proposed Methods

An overview of our approach is presented in Figure 1. Take the *l*-th layer of Net\_S for example. We first prune the *l*-th layer of Net\_S by the pruning rate  $p_l$ , initialized as  $p_0$ .  $p_0$  is shared by all layers. Then we calculate the L2 loss of feature maps between the Net\_T and the Net\_S, which is named  $\ell_F^l$ . Note that  $\ell_F^l$  calculated from  $p_0$  is defined as  $\ell_F^0$ . Suppose  $t_{max}$  is the max pruning loss threshold to constrain the pruning proportions. We set a hyperparameter r to balance the pruning rate and model accuracy loss. So the max loss threshold in the *l*-th layer is calculated by  $t_{max}^l = r * \ell_F^0$ . Note that the whole training process shares the r.

Then the pruning rate  $p_l$  of *l*-th layer is automatically adjusted to a value as large as possible when the  $\ell_F^l$  is less than  $t_{max}^l$ . To find a best *p* for each layer, we use binary search between 0 and 1. The process of training and binary search progresses iteratively for each layer.

Here, the feature maps loss  $\ell_F^l$  restricts the pruning loss of each layer thereby reducing the reconstruction error. And the

global pruning loss between Net\_S and Net\_T is defined as  $\ell_G$ , which helps Net\_S to mimic the final output of Net\_T. Then we train Net\_S layer by layer to minimize the distance between Net\_T. This process uses knowledge distillation approach on another unlabeled dataset  $D_2$  instead of the source dataset  $D_1$ . Note that Net\_S and Net\_T share the same structure and initial parameters at the beginning.

# B. Pruning

We verify the feasibility of AMP on weight pruning and channel pruning. Weight pruning can prune unimportant weights precisely while channel pruning can bring convenience to calculation acceleration and practical deployment.

1) Weight Pruning: Considering that smaller weights have less impact on the model, we sort the weights of one layer from small to large. With the pruning rate p, we recurrently set the first p weights to zero in the forward pass and then re-train this layer until binary search is finished. This operation will be applied to each convolution layer and fully connected layer respectively in order. For weight pruning,  $\ell_F^l$  can be computed by

$$\ell_{F}^{l} = ||S_{O}^{(l)} - T_{O}^{(l)}||^{2} = \frac{1}{C_{l+1}} \sum_{k=0}^{C_{l}} ||S_{O}^{(l)}|_{k,:,:} - T_{O}^{(l)}|_{k,:,:}||^{2}$$
(1)

2) Channel Pruning: In contrast to weight pruning, channel pruning needs to evaluate the comprehensive performance of one channel to determine whether to prune it or not. We apply group-sparse regularization  $l_2$ -norms to zero-out filters with small  $l_2$ -norm, which is also been used in [15], [16]. In order to unify the two strategies, we try to simulate the output of the pruned channels by null matrices, thus making the output dimension of Net\_S and Net\_T consistent. However, our experiments show that the loss between null matrices and the corresponding layers of Net\_T can not reduce through backpropagation, because the related channels have been removed. Considering the output of the pruned layer is inconsistent after pruning, we choose the output of the layer next to the pruned layer to calculate pruning loss. For channel pruning,  $\ell_F^l$  can be computed by

$$\ell_{F}^{l} = ||S_{O}^{(l)} - T_{O}^{(l)}||^{2} = \frac{1}{C_{l+1}} \sum_{k=0}^{C_{l}} ||S_{O}^{(l+1)}|_{k,:,:} - T_{O}^{(l+1)}|_{k,:,:}||^{2}$$
(2)

# C. Knowledge Distillation

After network pruning, we use knowledge distillation [7] to further compensate the performance degradation. For the following considerations, we train all the layers together: (1) the deep representations are more expressive [17], so the error can accumulate while pruning the front layers; (2) focusing on reducing the loss of pruned layer  $\ell_F^l$  may lead to local optimal solutions. Conversely, parameters in the mid-layers may suffer from non-convergence if merely under the supervision of the output of teacher's last layer. Therefore, we constrain mid-layers as well as the last fully connected layer, which can reduce the loss caused by pruning , and prevent accumulated error at the same time.

# V. EXPERIMENTS

## A. Implementation details

We evaluate AMP on three popular deep neural networks: AlexNet [5], VGG16 [18], Resnet50 [6] on ILSVRC-12 [1]. For training dataset, we randomly select a subset of Open Images V4 [19] containing 7000 categories, in which each category contains only 10 images. The dataset mainly contains random images of the real world. Consequently, it has the similar data distribution to ILSVRC-12. In the testing phase, we record the accuracy of compressed model on their source dataset. We use pre-trained models from Pytorch as the initial teacher and student networks. The learning rate is set to 0.0001 in the beginning and Adam [20] optimizer is adopted. Empirically, we set  $p_0$  to 0.2 and  $\lambda$  to 1.

# B. AMP with Weight Pruning

We prune each layer separately and evaluate the differences between the pruned network and the original network. We find that the pruning loss and the pruning rate are not strictly linear correlated. This reveals that the sensitivity of each layer is different, which has also been proved by [21]. This inspires us that the nonlinear correlation between pruning loss and pruning rate can be used to balance pruning rate and network accuracy.

1) AlexNet on ILSVRC-12: We report the relationship between hyperparameter r, compression rate and top-1 accuracy loss in Table I. The batch size is set to 64 and training epoch is set to 32. For equal spaced changes in r, the growth of compression rate is nonlinear. When the student network has already been pruned by 60.25%, the remaining parameters in the student network are relatively important and have more effect on performance. Therefore, by increasing the same size of r, the pruning rate increases by a small proportion. Compared with [22] which achieved 35% pruning rate with 2.2% accuracy damage, we prune 51.03% parameters with only 0.17% accuracy damage.

Table I AlexNet on ILSVRC-12.

r	Pruning Rate %	Top 1%
0.0	-	56.522
1.0	20.63	56.384
1.05	51.03	56.352
1.10	60.25	56.208
1.15	64.95	55.720

2) ResNet50 on ILSVRC-12: ResNet50 consists of several sub-modules, called residual block. We take a residual block as a unit to apply the pruning algorithm. We report the comparison of our method with other pruning algorithms in Table II. Hyperparameter r in this experiment is set to 1.2. The result of soft filter pruning [3] is not finetuned after pruning, we choose this result because the finetuned accuracy at the same pruning rate sharply dropped by 14.04% and the authors did not explain why. Considering that the authors only listed the one-view accuracy, we don't compare with the abnormal data for the sake of fairness.

Since the pruning rate of our method is obtained automatically by binary search within the given loss threshold, we can't precisely control the pruning rate. Therefore we choose the closest pruning result to other methods, which makes them comparable.

In the experiments, we also test the student network immediately after weight pruning and get 68.450%, which has -7.68%  $\Delta$  accuracy. The accuracy of the student network gradually increases in the training progress, which proves the success of knowledge distillation process in AMP algorithm.

Table II RESNET50 ON ILSVRC-12.

Method	Pruning Rate %	$\Delta$ Top1 %	
Data-Free Pruning [22]	35.08	-2.2	
Soft filter pruning [3]	30	-1.54	
ThiNet(70) [2]	30	-0.84	
Soft weight sharing [13]	6.6	-2.02	
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Model Pruning	32.72	-0.76	

# C. AMP with Channel Pruning

we prune VGG-16 and evaluate the pruned model on ILSVRC-12. Experimental results are shown in Table III. At the same pruning rate, channel pruning does not achieve competitive accuracy as weight pruning does. Therefore, channel pruning preserves relatively less dimensional information than weight pruning, and it is relatively difficult to

Network	Pruning Rate %	Top1%	ΔTop1%	Top5 %	$\Delta$ Top5 %	Pruned FLOPs %	r
VGG-16	-	71.59	-	90.38	-	-	-
VGG-16	34.63	68.38	-3.21	88.80	-1.58	35.43	1.1
VGG-16	40.97	67.20	-4.39	87.95	-2.43	38.73	1.15
VGG-16	46.30	66.78	-4.81	88.02	-2.36	42.20	1.2

Table III PERFORMANCE OF AMP WITH CHANNEL PRUNING.

recover the network accuracy without training on the original dataset.

#### VI. CONCLUSION

This paper proposes the Anonymous Model Pruning (AMP) algorithm that can compress deep neural network without the original dataset. We use binary search to find the practical pruning rate automatically. All the experimental results have revealed that AMP algorithm can achieve a competitive result with other weight pruning methods even without the source dataset. We think that our method will help further research in data-independent model compression.

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